

# **ZNANSTVENI IZAZOVI: KAKO DOLAZI DO PROMJENE VERZIJE MODELJA U OPERATIVI**

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**Državni hidrometeorološki zavod**

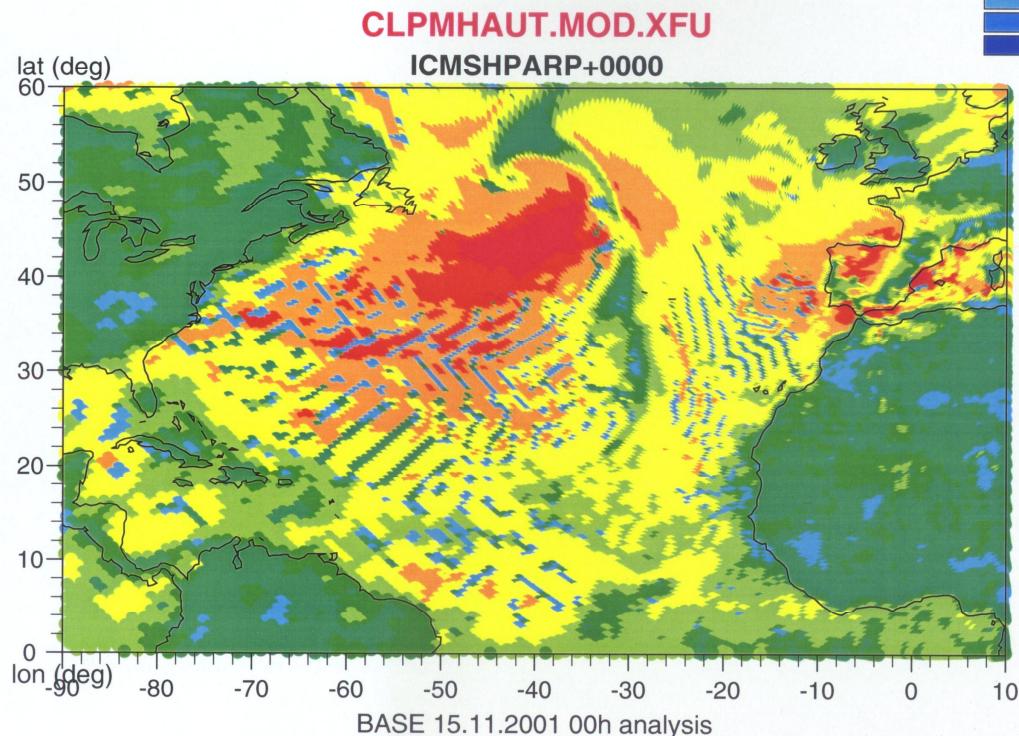
**Služba za meteorološka istraživanja i razvoj operativnih prognostičkih modela**

# Visina PBL-a (2000-2001) i nestabilnost (2002-2003)

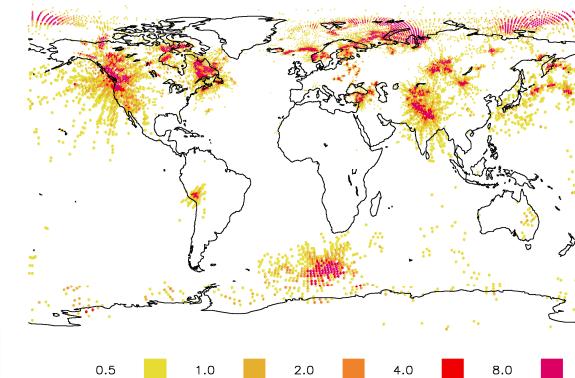


Na temelju Ri broja:

- prevelika promjenjivost
- pokazuje nestabilnost



ABOVE	4000
2000 -	4000
1500 -	2000
1000 -	1500
500 -	1000
250 -	500
100 -	250
30 -	100
10 -	30
1 -	10
BELOW	1



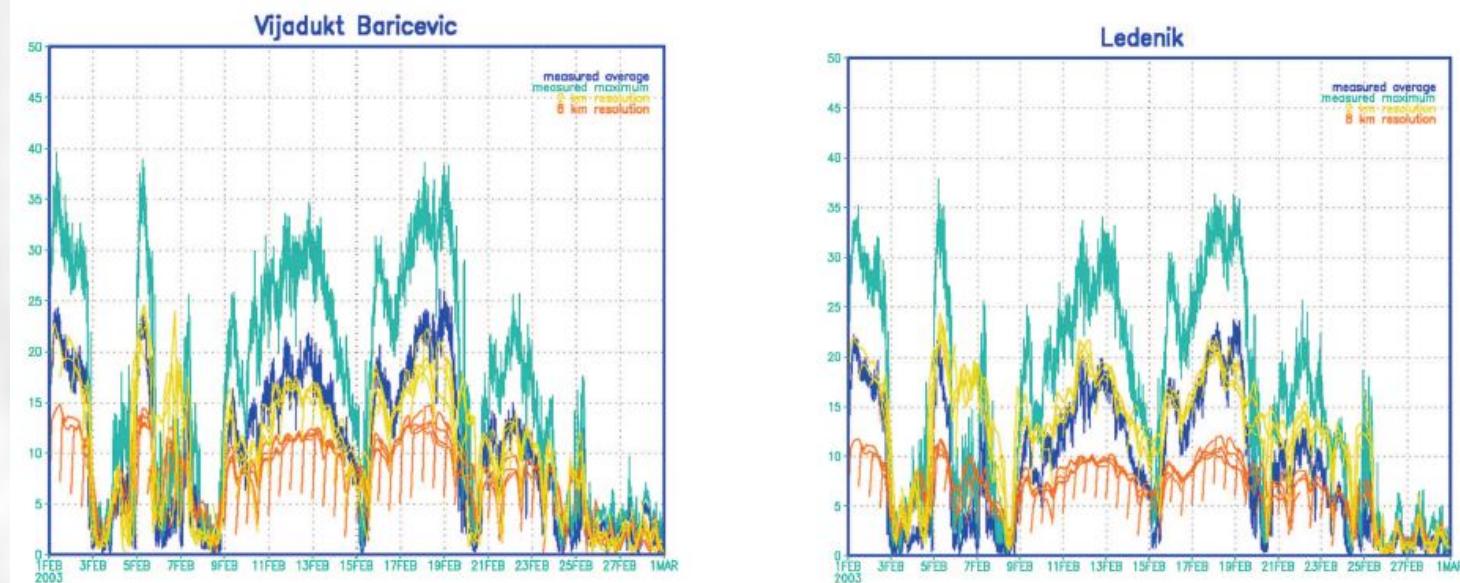
$$A = \frac{1}{2} |T(t + \Delta t) + T(t - \Delta t) - 2T(t)|$$

Tudor (2013) GMD  
Nestabilnost povezana sa različitom brzinom padanja i isparavanja kapi vode i čestica leda.

Prema Ayotte (1996)

$$h_{CLA} = \min(z) \quad \text{gdje je} \quad \theta_V(z) \geq \frac{1}{z} \int_0^z \theta_V(z) dz + \chi_0$$

Tudor i Ivatek-Šahdan(2002) HMČ, Ivatek-Šahdan i Tudor (2004) MetZeit  
Za uspješnu prognozu epizoda bure nastalih zbog međudjelovanja  
sinoptičkog polja tlaka sa lokalnom konfiguracijom terena dovoljna je 30  
minutna dinamička adaptacija na 2km rezoluciju s parametrizacijom  
turbulencije.



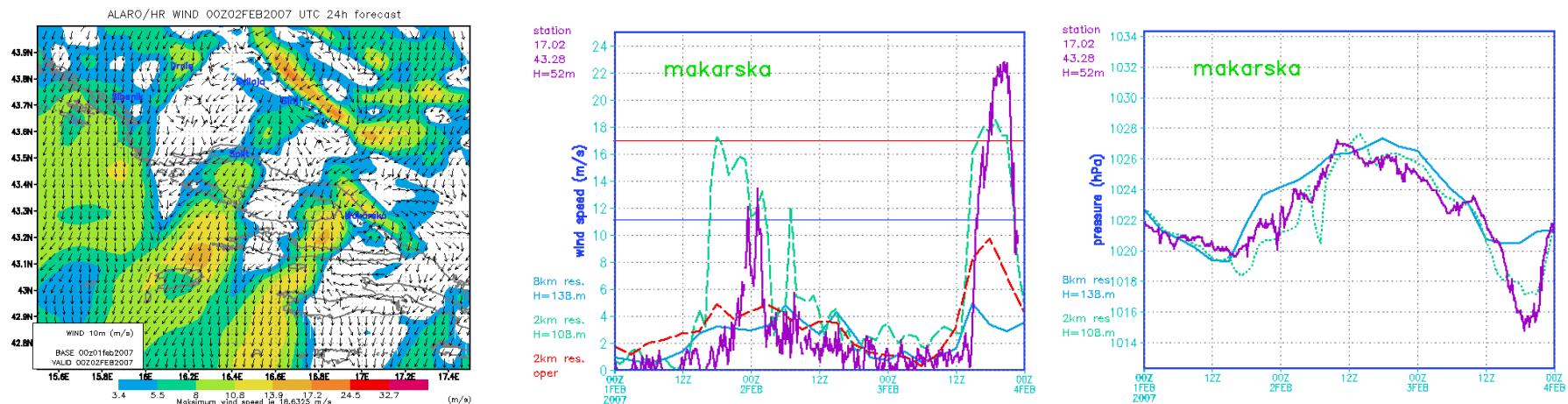
**Figure 6:** Measured wind speed for the Baricevic Viaduct (left) and the Ledenik Tunnel (right) automatic stations and modeled data from the closest model point for February 2003. Measured 10 min average wind speed (dark blue), 10 min maximum (light blue), all model forecasts for February 2003 (00 and 12 UTC runs) with 8 km resolution (orange) and 2 km resolution operational dynamical adaptations (yellow). The 2 km resolution predicts the occurrence and strength of the 10 min average wind speed well.

# Kratkotrajne epizode olujne bure

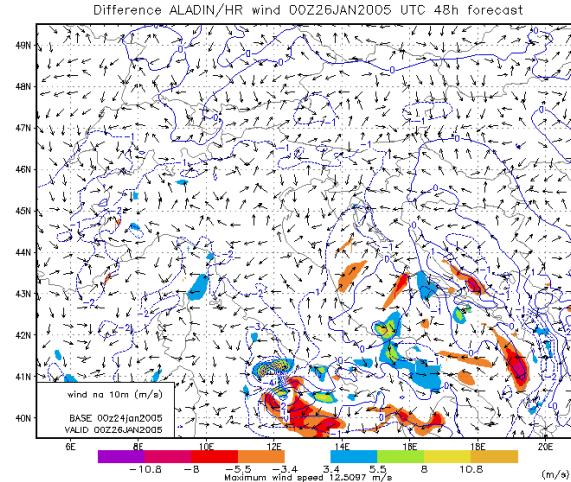
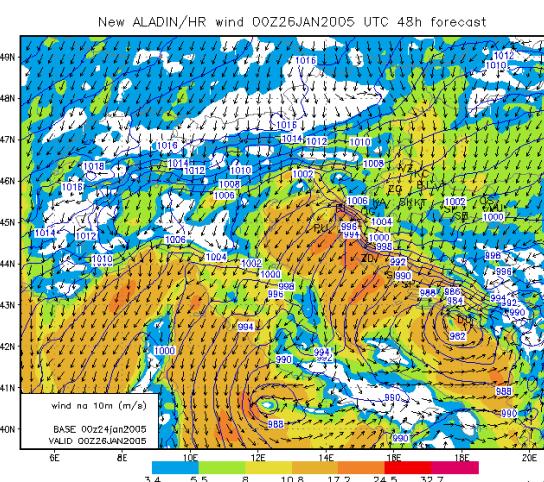
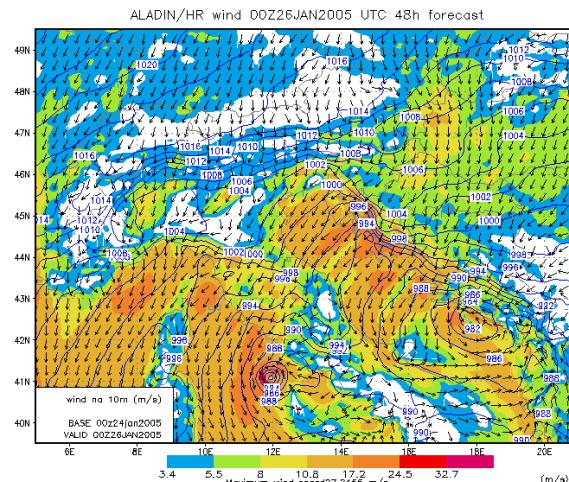


Tudor i Ivatek-Šahdan (2010) MetZeit

Za uspješnu prognozu kratkotrajnih epizoda bure nastalih zbog lokalnog dinamičkog razvoja (a ne samo prilagodbe polja vjetra terenu) potreban je "full-run" s nehidrostatskom dinamikom – operativan na 2km rezoluciji od 1. srpnja 2011.



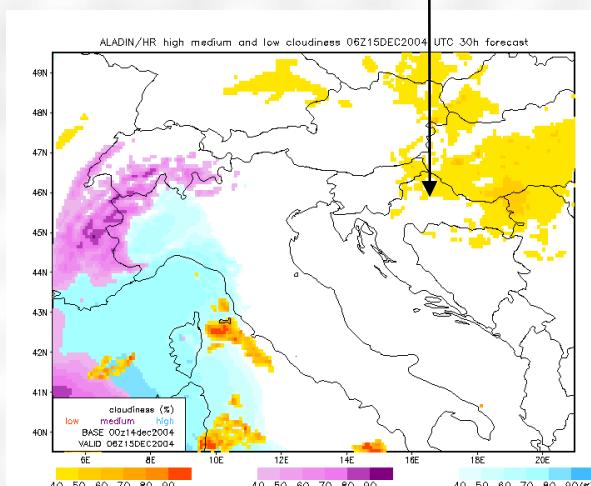
Semi-Lagranžijanska horizontalna difuzija (SLHD) popravlja intenzitet i položaj jedne ciklone, dok dobro prognozirana ciklona ostaje neizmjenjena, uz to se poboljšava prognoza magle u dolinama za vrijeme anticiklone  
(Tudor,Tutiš,Drvar,Stiperski,Vana,2005,HMČ).



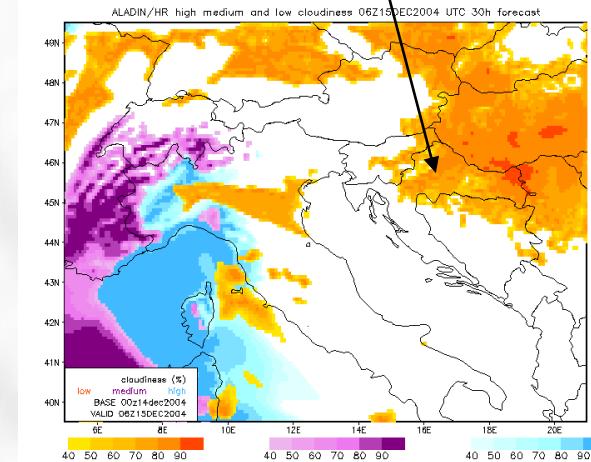
Vjetar na 10m i tlak sveden na srednju razinu mora dobiven numeričkom difuzijom (lijevo), SLHD (sredina) i razlika (desno), 48 satna prognoza s početkom u 00 UTC 24. siječnja 2005.

Alternativna kombinacija naoblake i zračenja poboljšava prognozu magle i niskih stratusa za Hrvatsku (Tudor, 2010, MAP).

Nedostaje magle i niskih oblaka

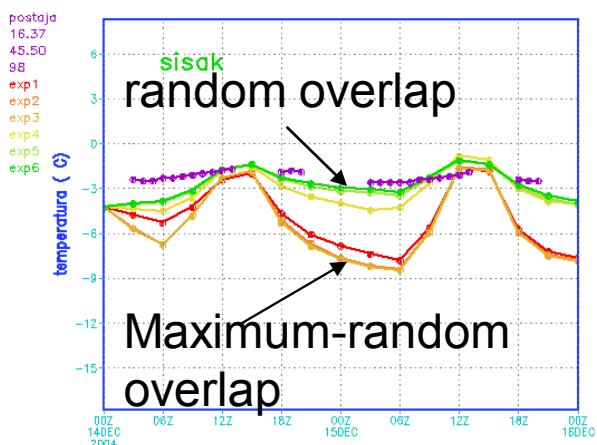


Random overlap



Temperatura na 2m

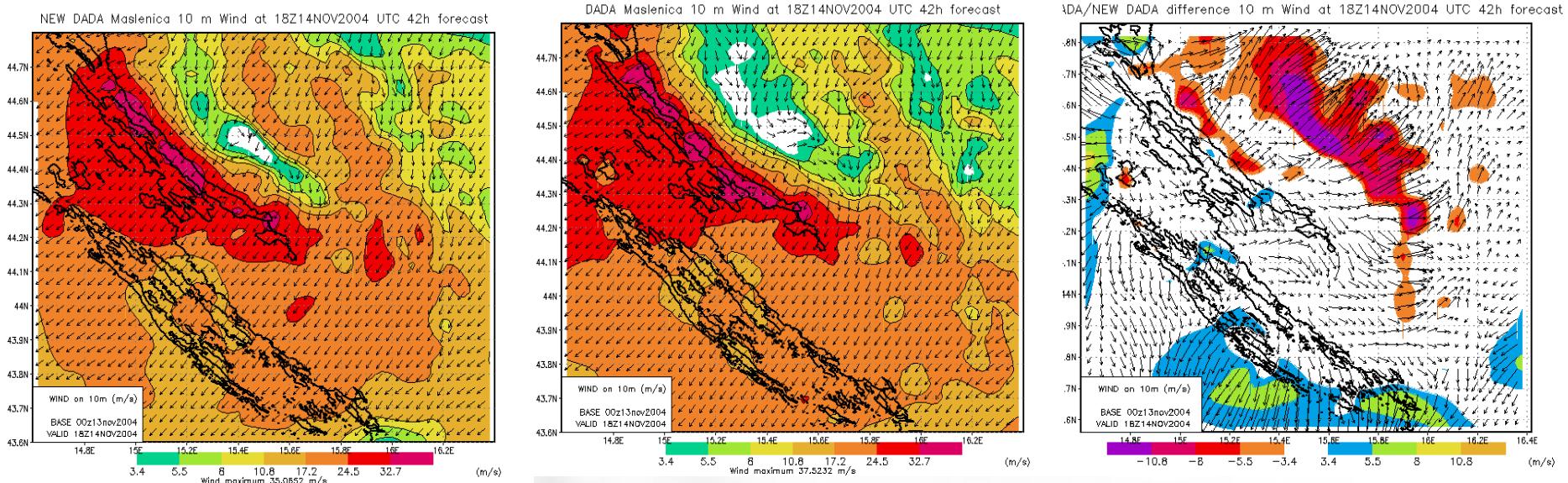
- mjerena
- prognoze sa različitim opcijama



# Utjecaj i prikaz topografije u modelu (2005)



Uklanjanje ovojnica i izmjene u parametrizaciji gravity wave drag značajno mijenja prognozirano polje vjetra.



Prognozirana brina vjetra 10m nad tlom sa envelope (lijevo) bez (sredina) i razlika (desno) u 2km rezoluciji, 42 satna prognoza s početkom u 00 UTC 13. studenog 2004 (Drvar, Stiperski, Tudor, Tutiš, 2005, HMČ).

GFL:  $q_v, q_l, q_i, q_r, q_s, TKE, \omega_u, \omega_d, \sigma_u, \sigma_d, \dots$

YTKE\_NL%LADV=.TRUE., ! advektiramo

YTKE\_NL%LCDERS=.FALSE., ! Ne računamo horiz. derivacije

YTKE\_NL%LGP=.TRUE., ! Isključivo grid-point polje

YTKE\_NL%LGPINGP=.FALSE., ! Ne čitamo kao gridpoint polje

YTKE\_NL%LHV=.FALSE., ! Hermite interp. U vertikali

YTKE\_NL%LQM=.FALSE., ! Monotone interpolacije

YTKE\_NL%LQMH=.FALSE., ! Horiz. Monotona interp.

YTKE\_NL%LREQOUT=.T., ! ispisujemo

YTKE\_NL%LSLHD=.T., ! radimo horizontalnu difuziju

YTKE\_NL%LSP=.FALSE., ! Ne koristi spektralni transform

YTKE\_NL%LT5=.FALSE., ! Za 4Dvar

YTKE\_NL%LVSPLIP=.F., ! spline interpolacija u vertikali (samo O3)

YTKE\_NL%NCOUPLING=0, ! Bez lateralnih rubnih uvjeta

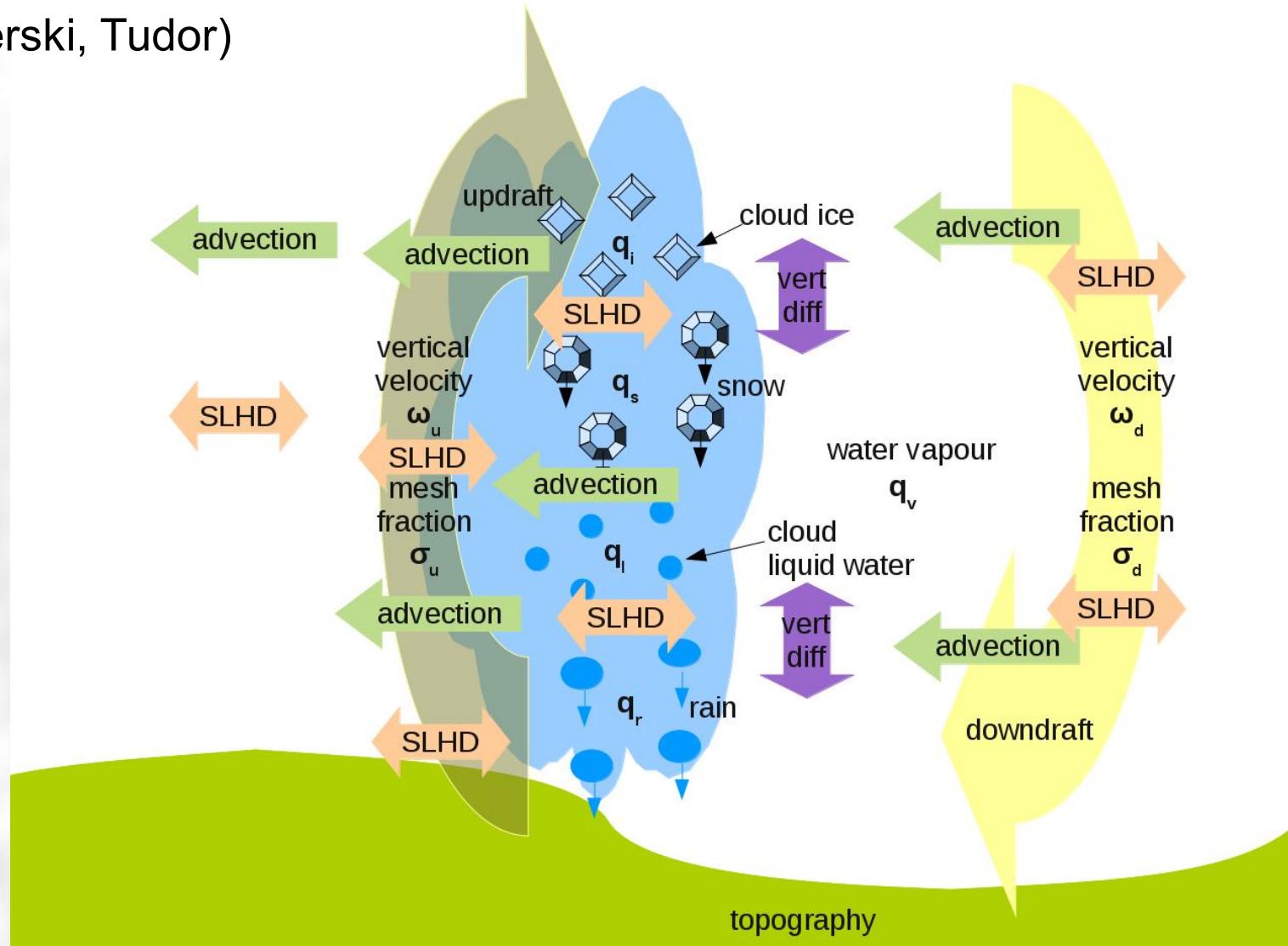
YTKE\_NL%NREQIN=0, ! Ne čita iz ulazne datoteke

Definiramo tretman prognostičkih polja u ovisnosti o tome da li su dostupna u ulaznim datotekama, te za što ih koristimo u modelu.

# Prognostička konvekcija (2005, 2006)



(Stiperski, Tudor)



## Analiza numeričke stabilnosti modela te svojstava jednadžbi, metode izračunavanja doprinosa različitih procesa, zakoni sačuvanja etc.

- if DELT - mixing length is determined by vertical resolution

$$L_l = z_{\bar{l}+1} - z_{\bar{l}}$$

- if DEAR - mixing length is first computed from vertical resolution

$$L_l = z_{\bar{l}+1} - z_{\bar{l}}$$

and afterwards it is limited by stability according to Deardorff formulation

$$\theta_v = \theta \frac{1 + \frac{R_v}{R_d} r_v}{1 + r_v + r_c + r_r + r_i + r_s + r_g}$$

where  $\frac{1}{2} \left( \frac{\theta_{v\bar{l}+1} - \theta_{v\bar{l}}}{\Delta z_{\bar{l}+1}} + \frac{\theta_{v\bar{l}} - \theta_{v\bar{l}-1}}{\Delta z_{\bar{l}}} \right) \frac{g}{\theta_{vref}} > 0$

$$L = \min \left( L, 0.76 \left( \frac{TKE}{\frac{1}{2} \left( \frac{\theta_{v\bar{l}+1} - \theta_{v\bar{l}}}{\Delta z_{\bar{l}+1}} + \frac{\theta_{v\bar{l}} - \theta_{v\bar{l}-1}}{\Delta z_{\bar{l}}} \right) \frac{g}{\theta_{vref}}} \right)^{\frac{1}{2}} \right)$$

- if BLKR - mixing length is first set to 100 and afterwards (the initialization with 100 is actually not necessary)

$$L_l = \alpha \frac{l_0 \left( \frac{1}{2} (z_{\bar{l}+1} + z_{\bar{l}}) - z_b \right)}{l_0 + \alpha \left( \frac{1}{2} (z_{\bar{l}+1} + z_{\bar{l}}) - z_b \right)}$$

where  $\alpha = \frac{1}{2}^{-\frac{3}{2}}$  and  $l_0 = 100$ .

- if KEPS K- $\epsilon$  mixing length is calculated

$$L_l = C_d \frac{TKE^{\frac{3}{2}}}{\epsilon}$$

- dissipative lengths is first set equal to the mixing length and afterwards corrected in the surface layer (only?) by Monin-Obukhov if ORMC01 (this is hardcoded to false for Arome).

## Jednadžbe modela (Catry et al. 2007, Tellus)

Za temperaturu

$$\begin{aligned}
 \frac{\partial T}{\partial t} + \vec{u}_a \cdot \nabla T &= \frac{1}{\rho C_p} \frac{dp}{dt} + \frac{1}{C_p} \dot{Q}_i + \frac{1}{C_p \rho} \sigma_{\alpha\beta} \frac{\partial u_\beta}{\partial x_\alpha} \\
 &- \delta_m \frac{P}{C_p \rho^2} \frac{\partial p}{\partial z} - \frac{1}{C_p} ((1 - \delta_m) C_{pd} \frac{P}{\rho} \frac{\partial T}{\partial z} - C_{prec} \frac{P}{\rho} \frac{\partial T}{\partial z}) \\
 &- \frac{1}{\rho C_p} (L_{21}(\dot{\rho}_2 + \dot{\rho}_3) + L_{41}(\dot{\rho}_4 + \dot{\rho}_5))
 \end{aligned}$$

ovog člana  
nema u AROME

$$\frac{\partial q_k}{\partial t} + \vec{u}_a \cdot \nabla q_k = \frac{\dot{\rho}_k}{\rho} - \delta_m \frac{q_k}{\rho} \frac{\partial P}{\partial z}$$

Za vodenu paru, vodene kapi i kristale leda u oblaku, kišu i snijeg.

# Prediktor-korektor shema s parametrizacijama (2003)



Jednadžbe su razdvojene na linearne i nelinearne članove te fizikalne parametrizacije.  
Linearni doprinos se izračunava implicitno  
Nelinearni iterativno

Predictor

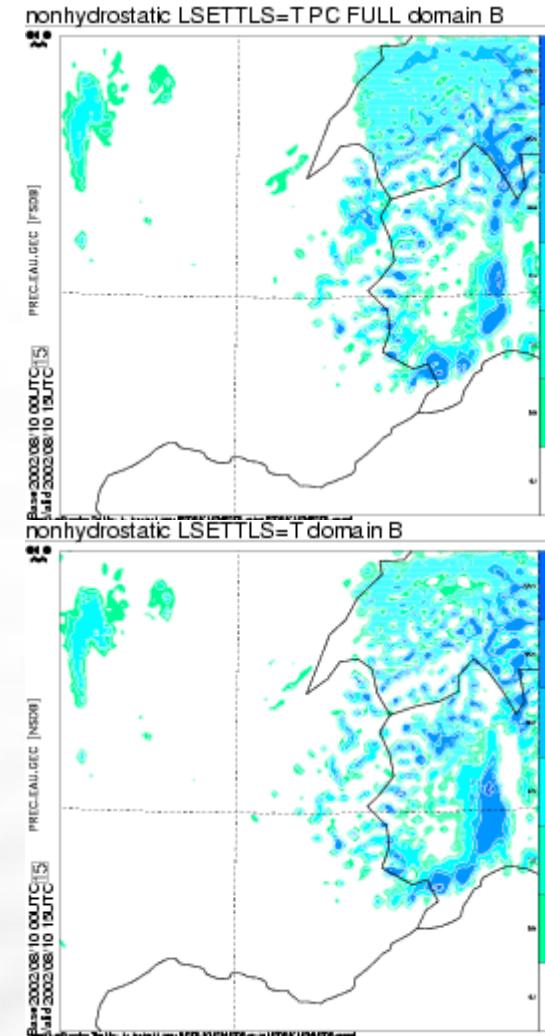
$$\frac{X_{Apred}^{t+\delta t} - X_O^t}{\delta t} = L\left(\frac{X_{Apred}^{t+\delta t} + X_O^t}{2}\right) + N(X_M^{t+\frac{\delta t}{2}}) + \phi(X_O^t)$$

Corrector

$$\frac{X_{Acorr}^{t+\delta t} - X_O^t}{\delta t} = L\left(\frac{X_{Acorr}^{t+\delta t} + X_O^t}{2}\right) + \frac{N(X_{Fpred}^{t+\delta t}) + N(X_O^t)}{2} + \phi(X_O^t)$$

we can use  $\phi(X_O^t)$ ,  $\phi(X_A^t)$  or  $\frac{\phi(X_O^t) + \phi(X_A^t)}{2}$

Položaj O točaka i fizikalne tendencije u njima se izračunavaju iterativno.



Stratiform precipitation, 5 km res, Alps, 10<sup>th</sup> Aug 2002.

Doprinosi modela u početnoj (O) I završnoj (F) točki semi-lagranžijanske putanje se kombiniraju radi povećanja preciznosti modela

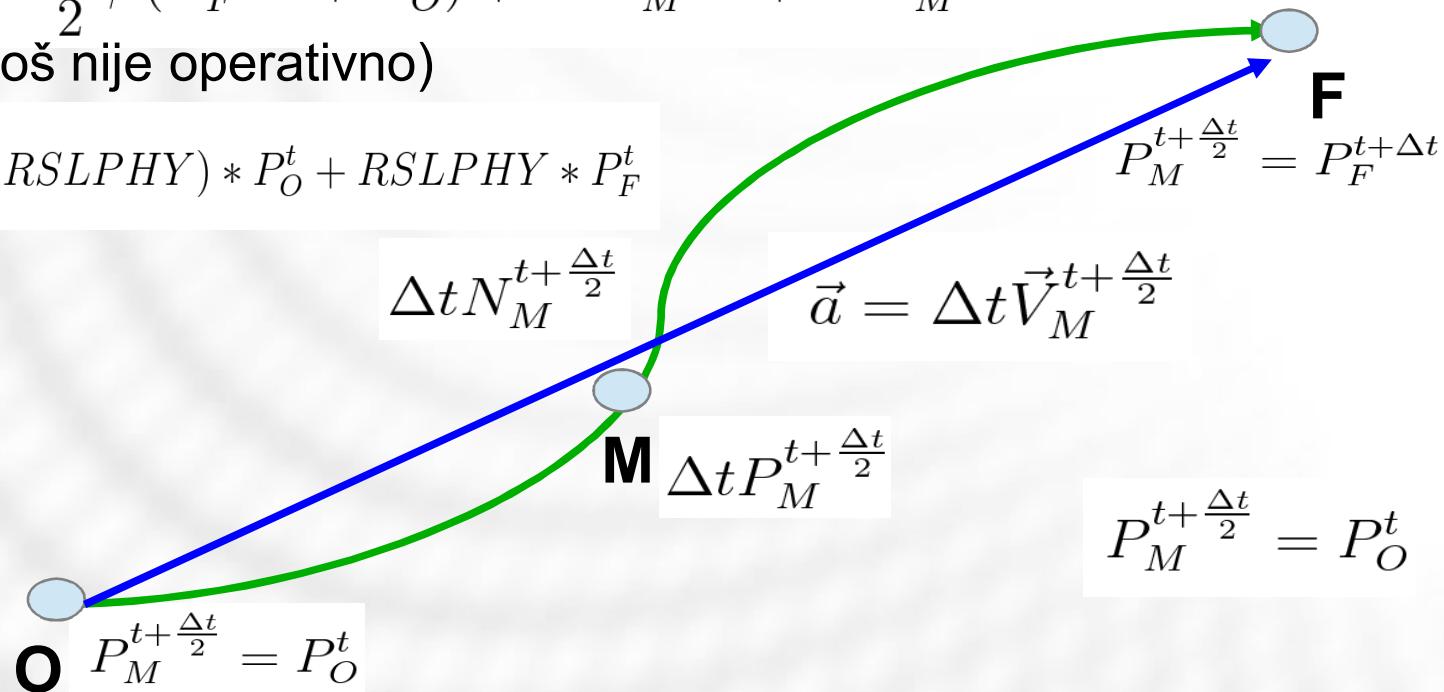
$$\psi_F^{t+\Delta t} - \psi_O^t = \frac{\Delta t}{2}(B_F^{t+\Delta t} + B_O^t) + \frac{\Delta t}{2}(N_F^{t+\Delta t} + N_O^t) + \frac{\Delta t}{2}(P_F^{t+\Delta t} + P_O^t)$$

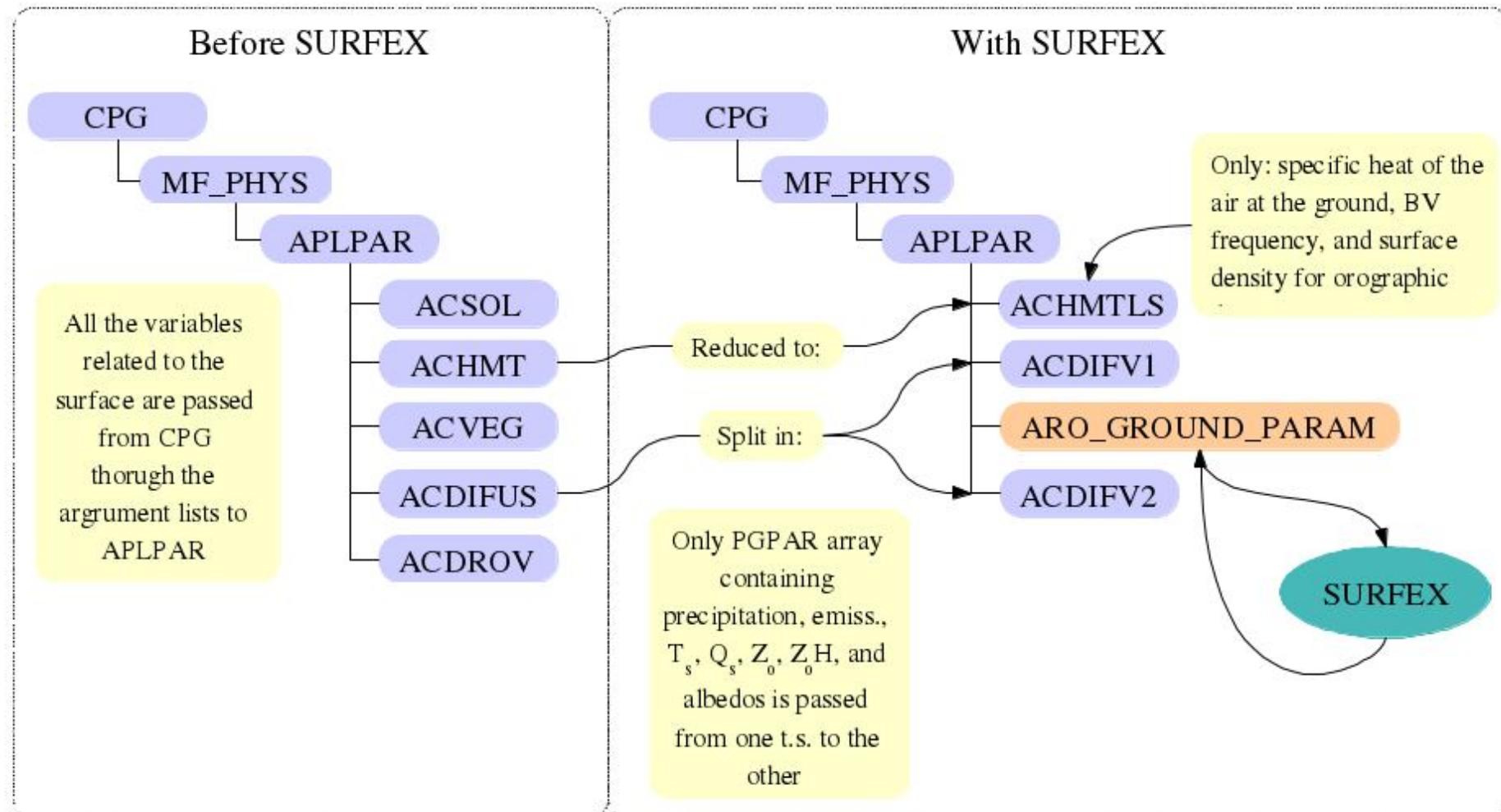
Ili se izračunavaju u središnjoj točki putanje

$$\psi_F^{t+\Delta t} - \psi_O^t = \frac{\Delta t}{2}\beta(B_F^{t+\Delta t} + B_O^t) + \Delta t N_M^{t+\frac{\Delta t}{2}} + \Delta t P_M^{t+\frac{\Delta t}{2}}$$

U ALADIN-u (još nije operativno)

$$\Delta t P_M^{t+\frac{\Delta t}{2}} = (1 - RSLPHY) * P_O^t + RSLPHY * P_F^t$$

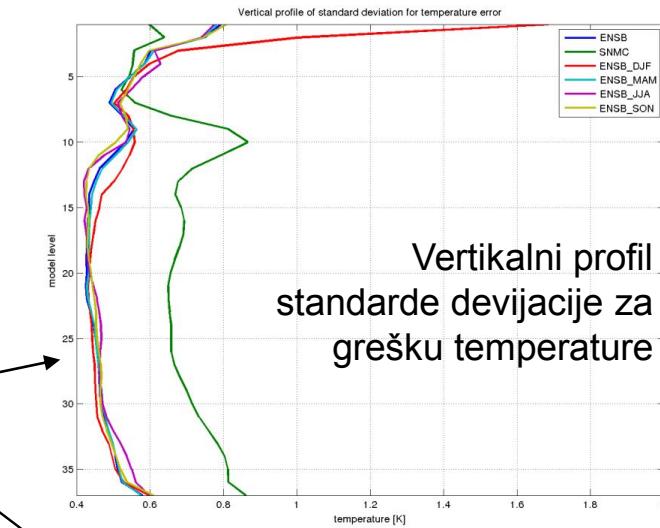




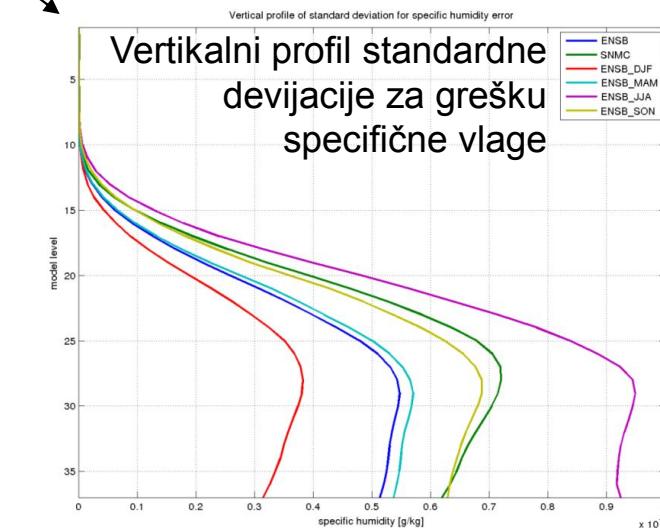
Stanešić, Horvath, Kovačić, Ivatek-Šahdan

Područja istraživanja:

- utjecaj mjerenja na analizu i prognozu – novi izvori (radar, GNSS-ZTD, sateliti...)
- **utjecaj načina proračuna B matrice na analizu i prognozu**
- Stanešić (2009) HMČ
- dizajn/podešavanje asimilacijskog sustava: ispravak pristranosti mjerenja, vrijeme između uzastopnih analiza, načini inicijalizacije, parametri površinske asimilacije (korelacije, oblik funkcije utjecaja)
- Asimilacija radarskih podataka u ALARO model



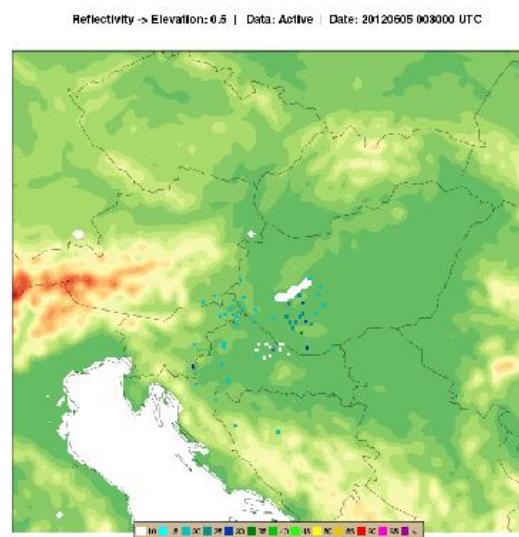
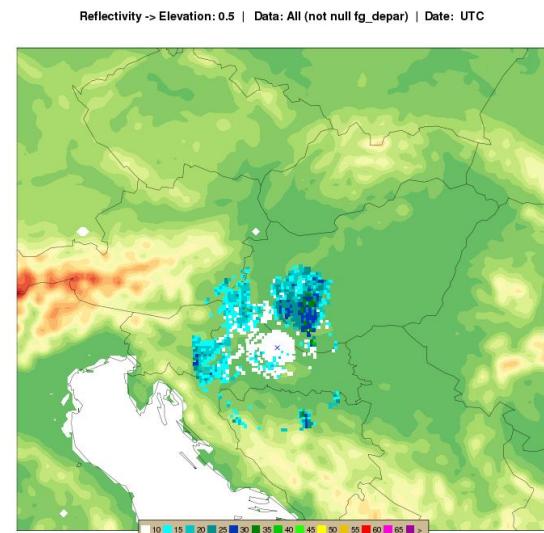
Vertikalni profil standarde devijacije za grešku temperature



Vertikalni profil standarde devijacije za grešku specifične vlage

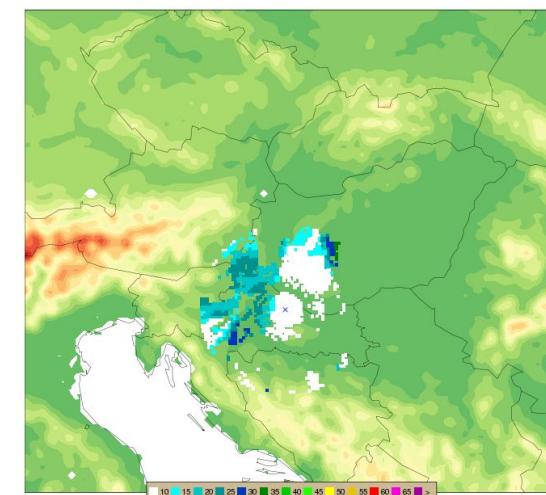
## Asimilacija radarskih podataka u ALARO

Mjerenja

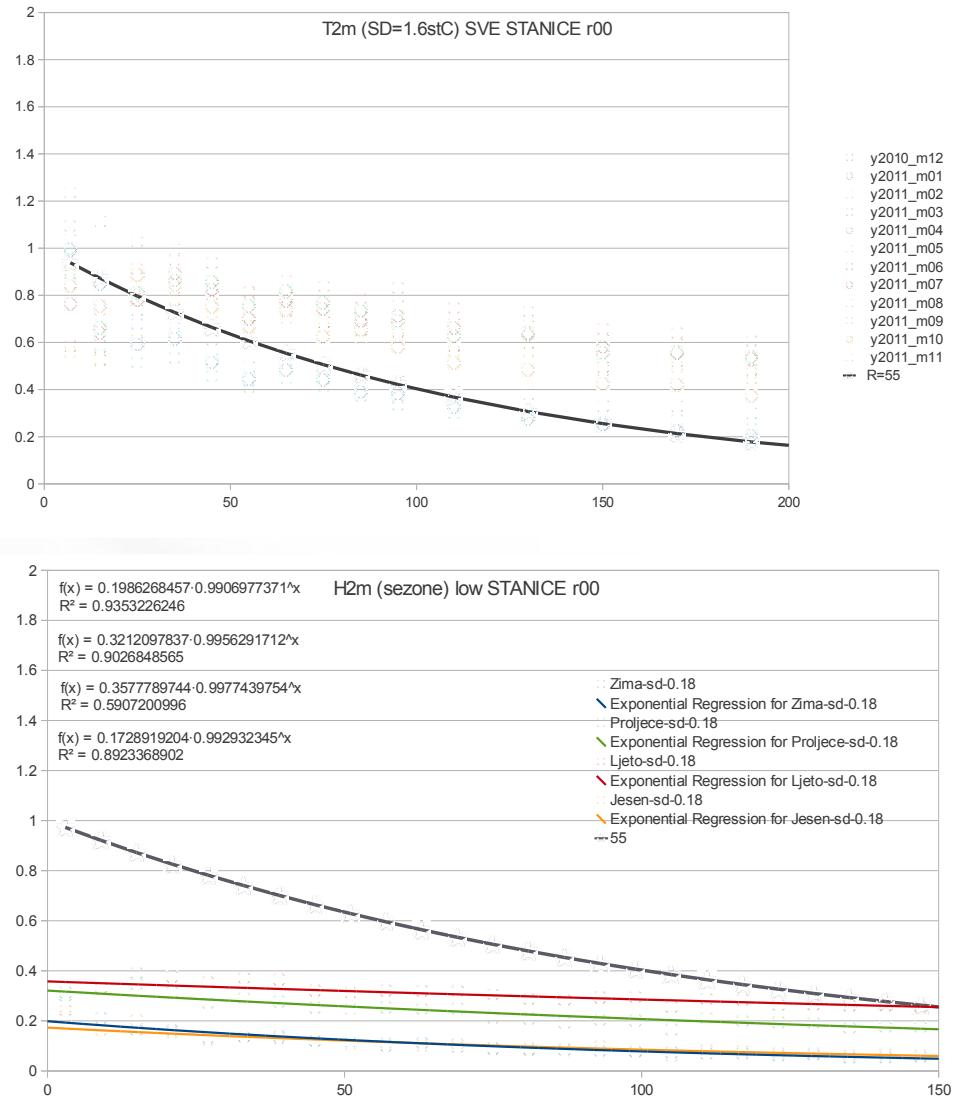


Aktivni podaci

Model



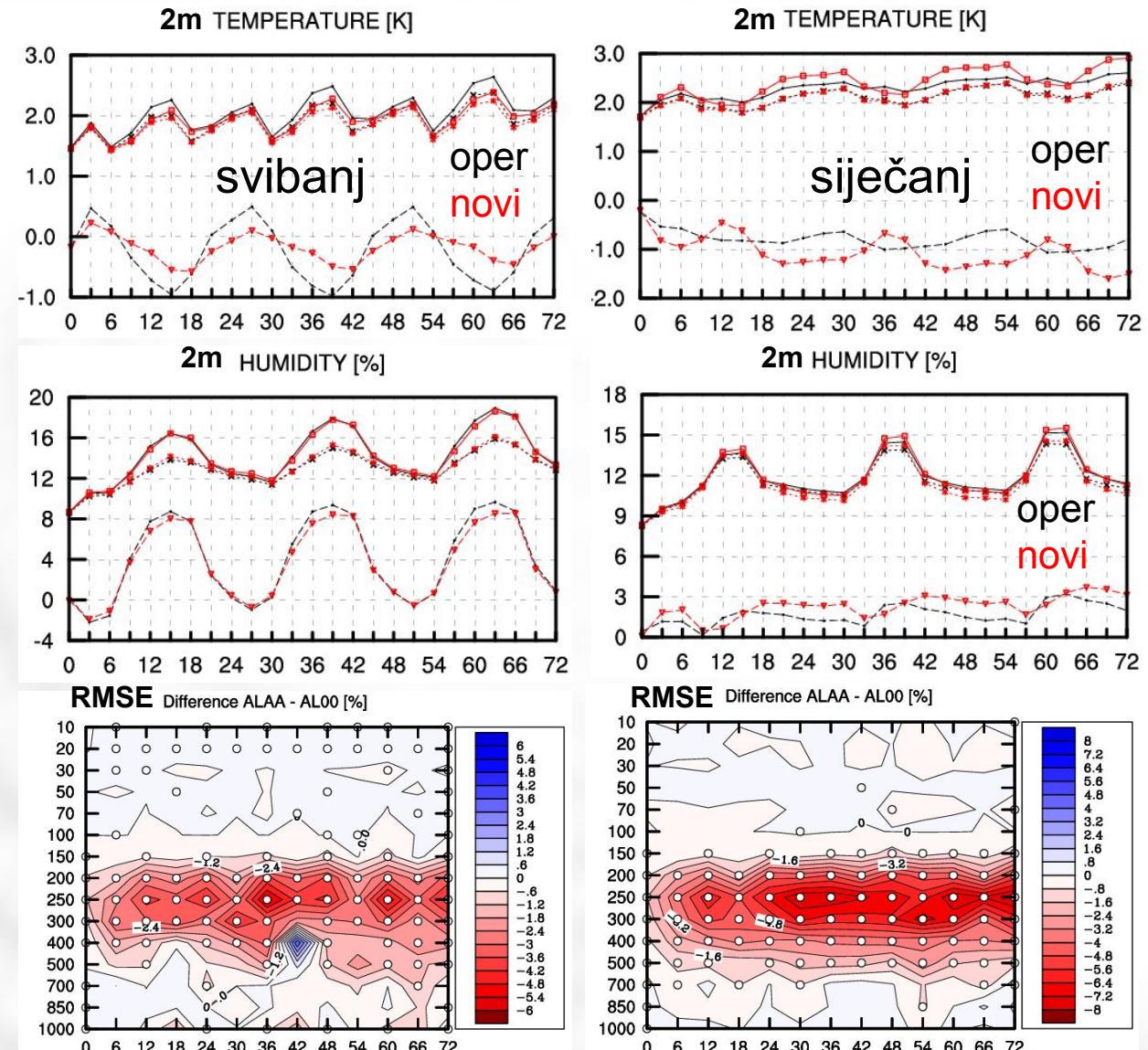
Određivanje koeficijenata korelacije odstupanja modela od mjerjenja u ovisnosti o udaljenosti.  
 Postoji sezonska varijabilnost  
 Promjenjena je funkcija kojom se izračunava koeficijent korelacije



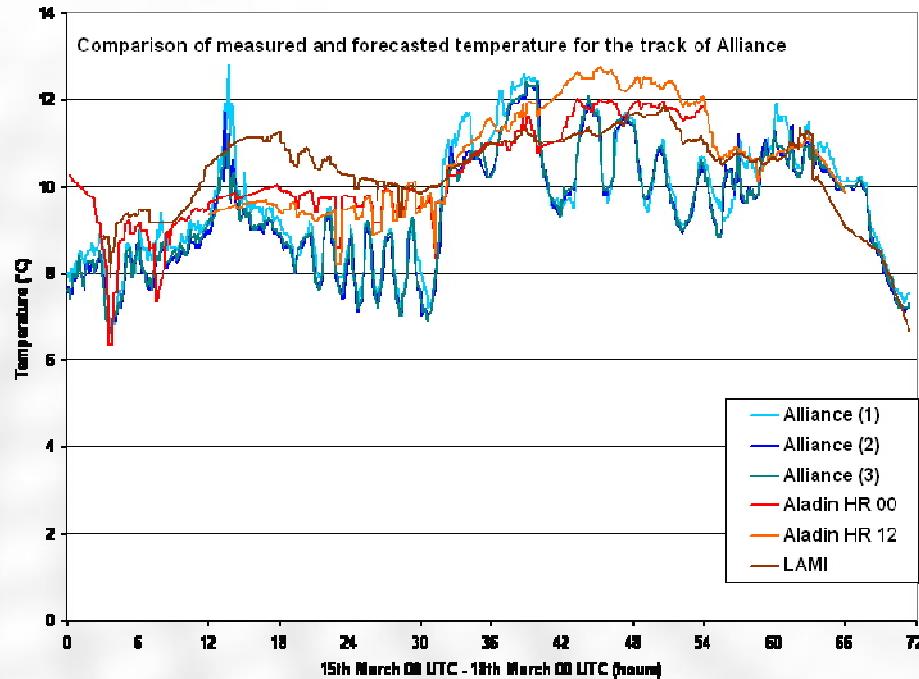
# Pred-operativno testiranje (2014)



Testiranje modela  
- specifične situacije  
(case study)  
- dulja razdoblja  
- kompletan novi cycle i  
doprinos novih  
komponenti zasebno  
- tuniranje modela za  
lokalne potrebe

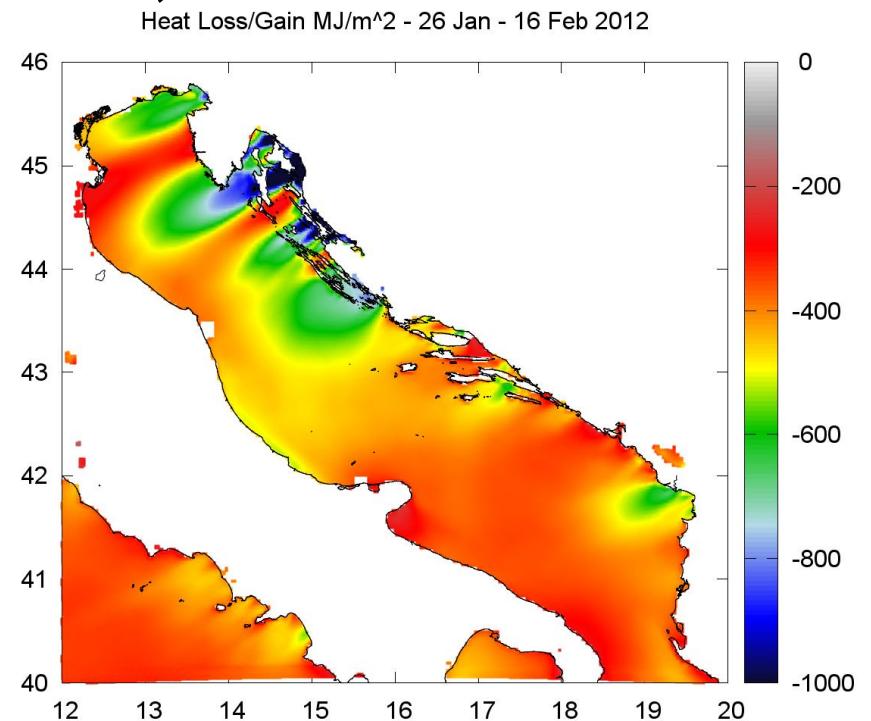


## DART



Martin et al. 2009 JGR  
Bencetić et al. 2009 JMS  
Rixen et al. 2009 JMS  
Vilibić et al. 2009 JMS  
Vanderbulcke et al. 2009 PiO  
Tudor, M. 2009 HMČ

## IOF, IRB



Mihanović et al. 2013 OS  
Janeković et al. 2014 JGR

I još puno puno toga



Ali ne stane u 15 minuta ...